



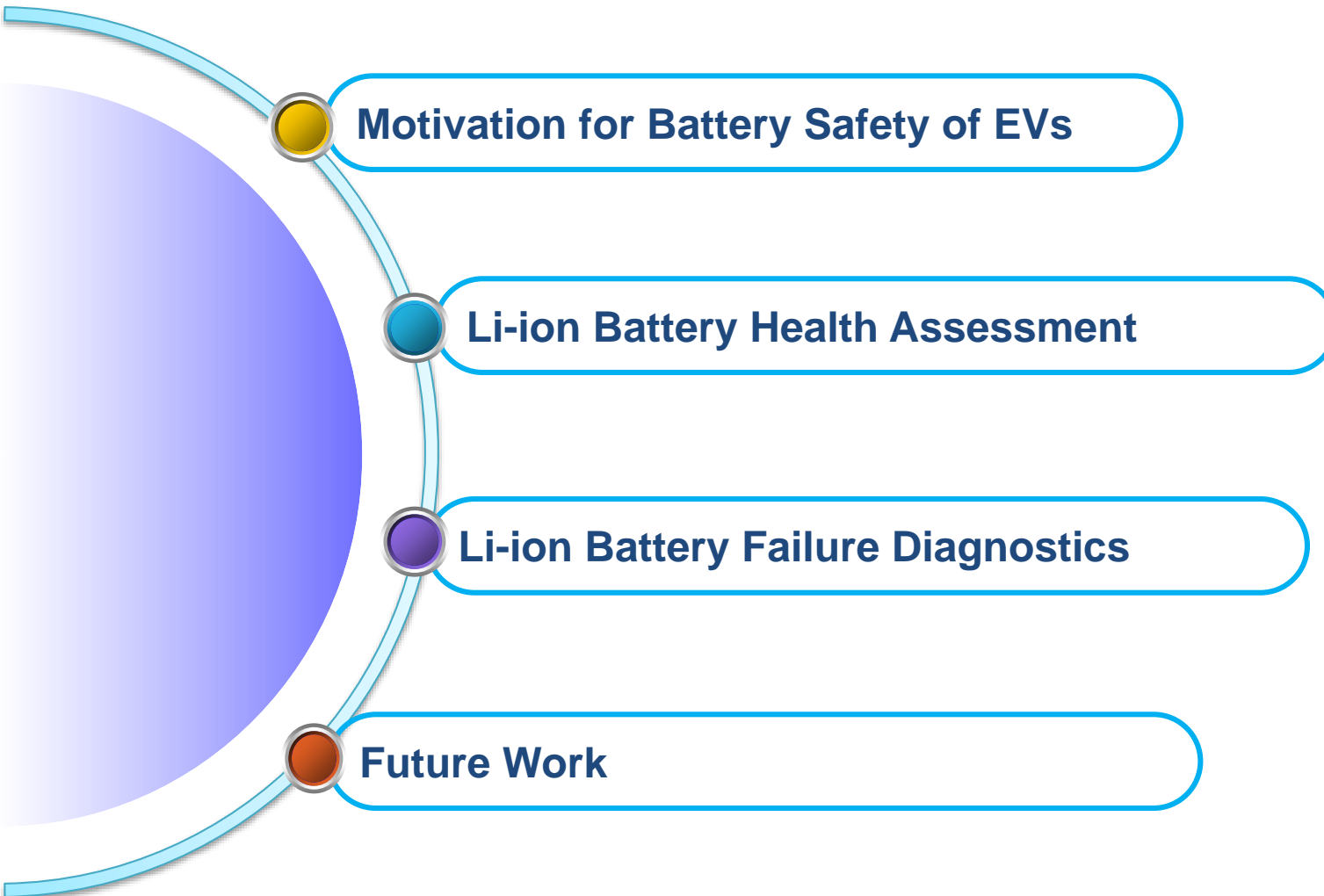
Battery System Safety and Health Management for Electric Vehicles

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Content



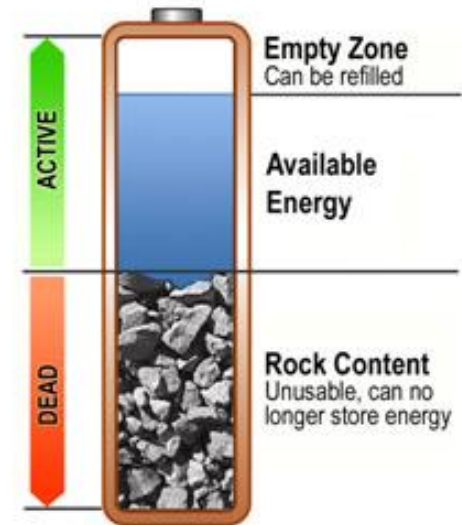
Motivation for Battery Safety

- Motivation:
 - ❖ Due to Li-ion batteries' highlighted advantages such as **high energy density, slow self-discharging rate, and no memory effect**, they become primary energy storage solutions to electric vehicles (EVs)
 - ❖ **Safe and reliable operation** of lithium-ion batteries is of vital importance, as unexpected battery failures could result in catastrophic accidents of EVs
- Two tasks:
 - ❖ Battery health assessment: indicates the capability of the EVs
 - ❖ Battery failure diagnostics: avoid an catastrophic failure of a car

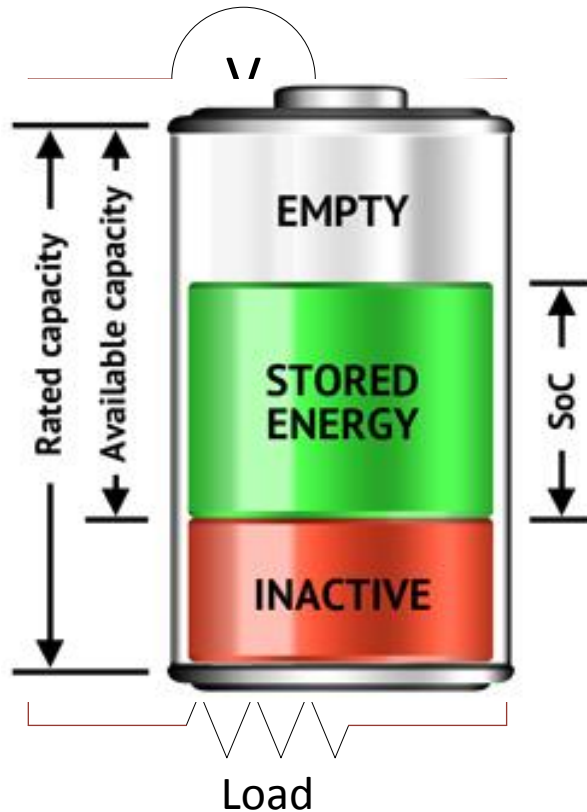


Li-ion Battery Health Assessment

- **System health assessment:** collects sensory signals from the system, extracts health-relevant features and system characteristics from the sensory signals
- Challenges:
 - ❖ system modeling is generally complicated and even incapable to access due to high dimensional I/O spaces and **nonlinear processes of a complex system**
 - ❖ high system dynamics increase the **mutability of system inherent parameters** that cause invalidation of original system models along a long time line



Battery System Basics



Measurements: current, voltage

SoC: the ratio of the stored energy to the rated capacity of a cell

$$SOC_k = SOC_{k-1} + \frac{\eta \Delta t}{C_{k-1}} i_{k-1}$$

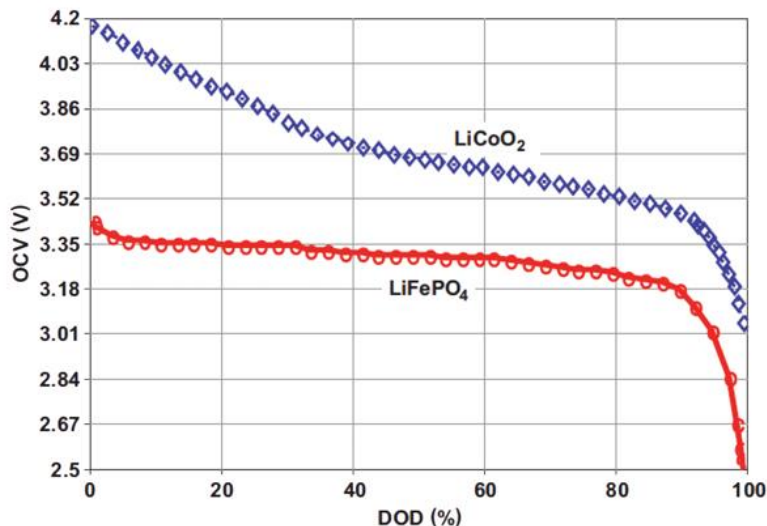
SoH: the ratio of the available capacity to the rated capacity after degradation of a cell

$$SoH_N = \frac{C_{available,N}}{C_{rated}}$$

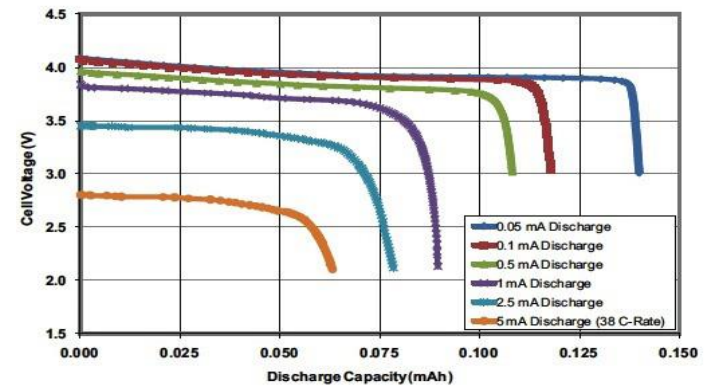
- SoC and SoH Estimations

State Transition: $x_k = \mathbf{F}(x_{k-1}, u_{k-1}, \theta_{k-1}) + w_k$, $\theta_k = \theta_{k-1} + r_k$

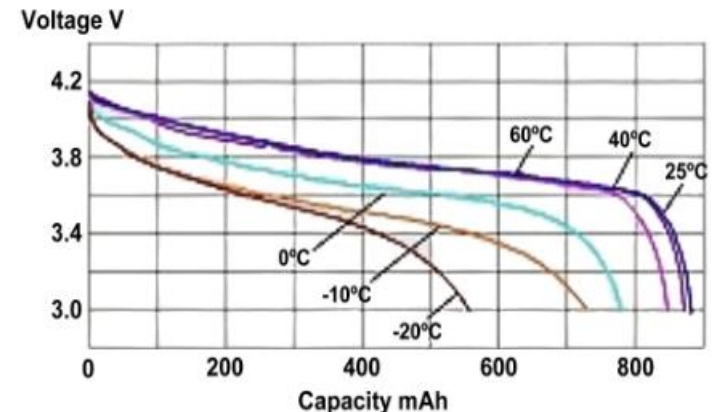
Measurement: $y_k = \mathbf{G}(x_k, u_k, \theta_k) + v_k$



* Figure Courtesy of Texas Instruments



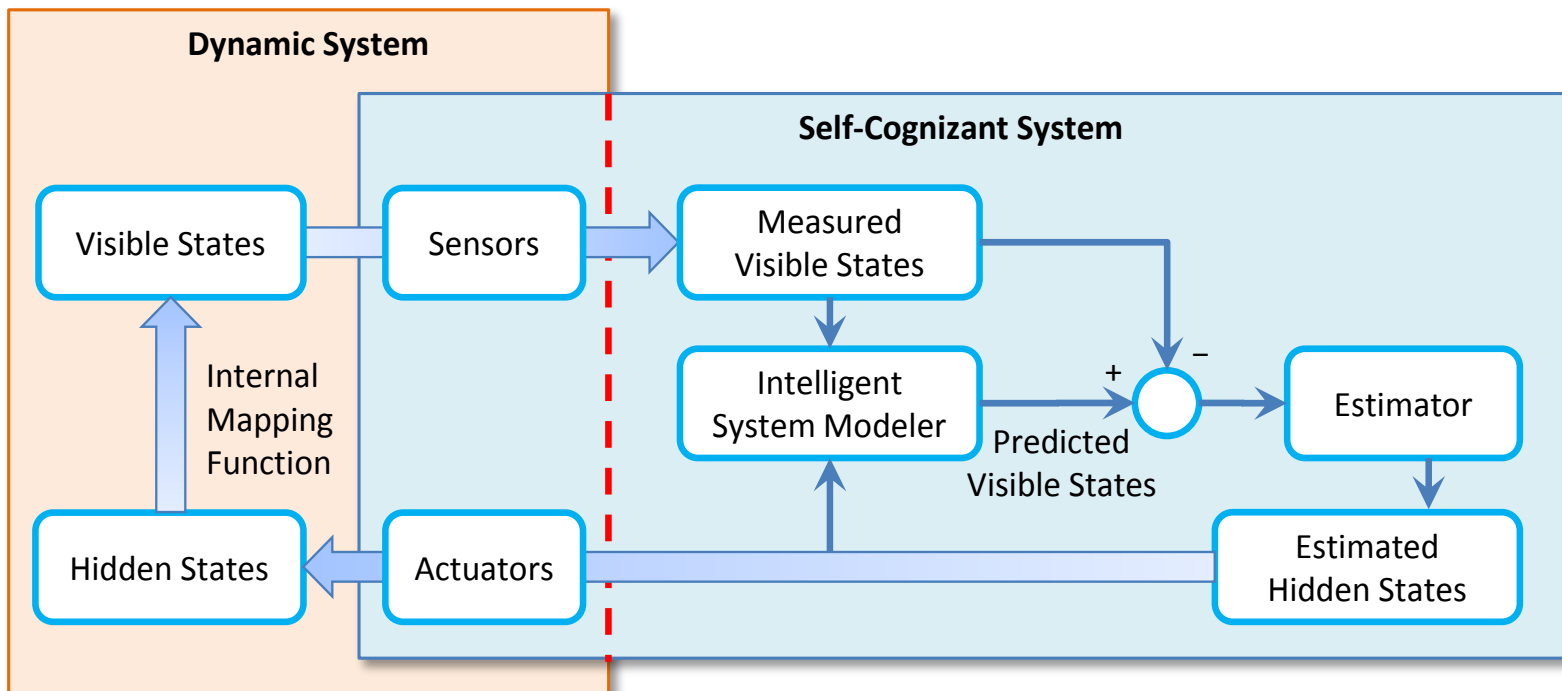
* Figure Courtesy of Infinite Power Solutions.



* Figure courtesy of IBT Power

Self-Cognizant Dynamic System (SCDS) Approach

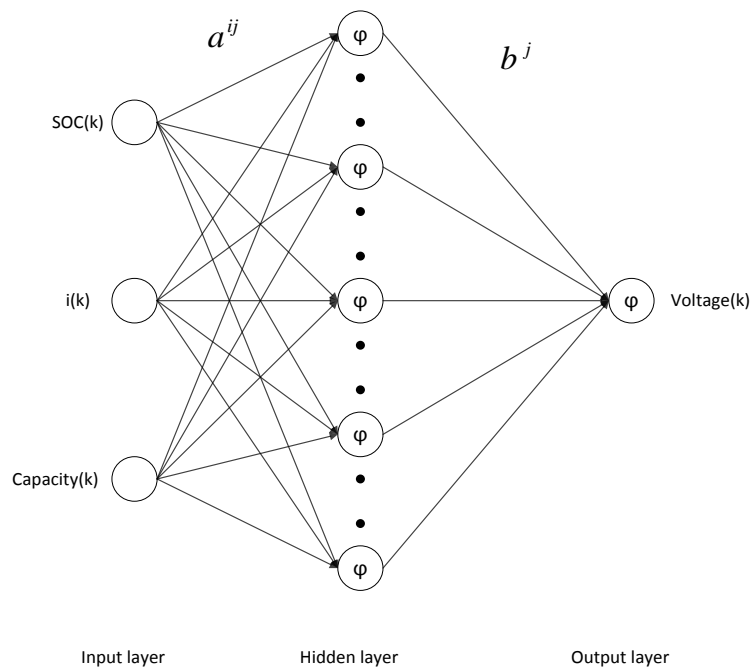
- The schematic diagram of a self-cognizant dynamic system



- Battery terminal voltage modeling:

$$V_k = G(SOC_k, i_k, C_k)$$

$$\approx G_{NN}(SOC_k, i_k, C_k)$$

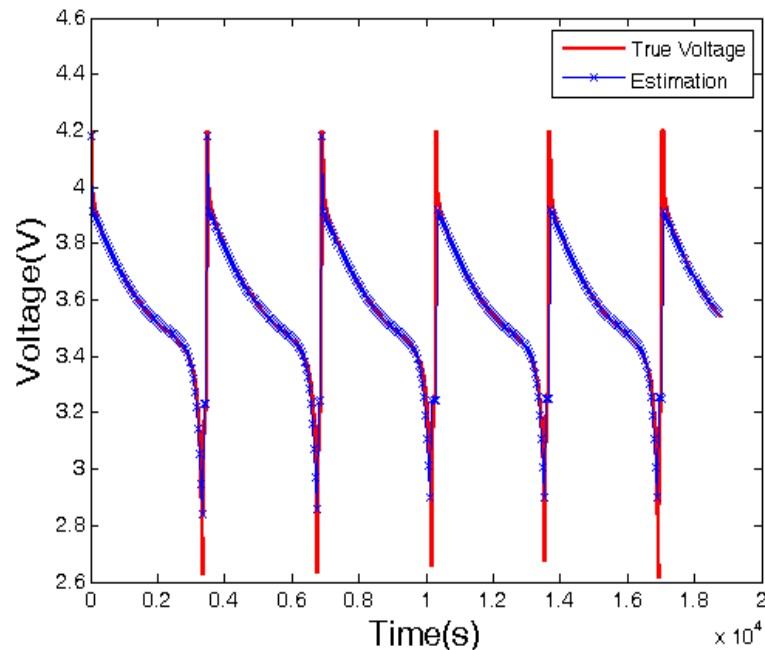


a^{ij} , b^j : the weights on the branches linking with input nodes, hidden nodes and output nodes

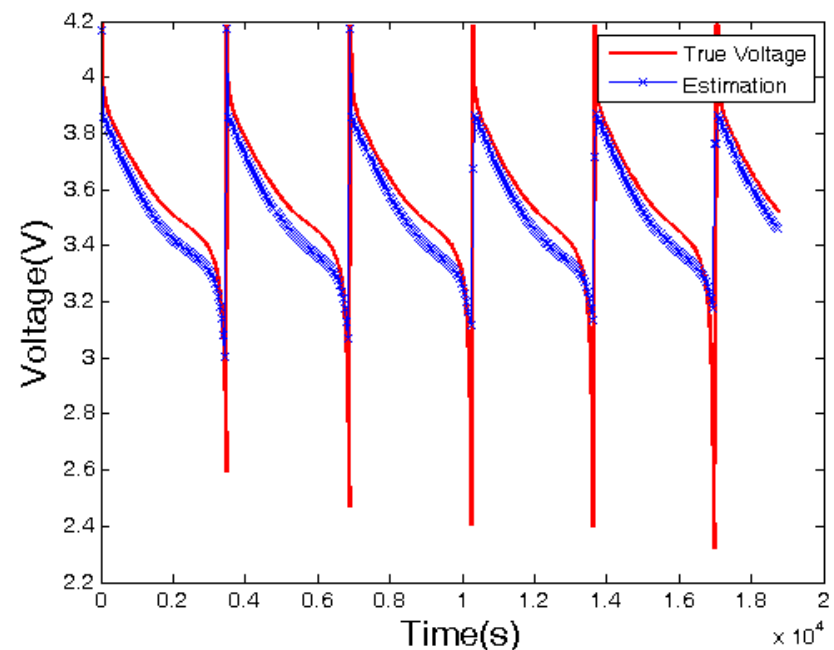
Transfer function ϕ is sigmoid function

Modeling of the Li-ion battery

- Battery 05 is employed to train the neural network



Battery 05



Battery 06

- Error of terminal voltage estimation by ANN

	Battery 05	Battery 06	Battery 07	Battery 18
RMS	0.0289	0.1034	0.1058	0.0871

Implementation of the SCDS Approach

- Developed battery system state-space model:

Transition: $SOC_k = \mathbf{F}(SOC_{k-1}, i_{k-1}, C_{k-1}) + w_{k-1}$

$$= SOC_{k-1} + \frac{\eta \Delta t}{C_{k-1}} i_{k-1} + w_{k-1}$$

$$\boldsymbol{\theta}_k = \boldsymbol{\theta}_{k-1} + \mathbf{r}_{k-1} = [C_{k-1}, \mathbf{W}_{k-1}]^T + \mathbf{r}_{k-1}$$

Measurement: $y_k = \mathbf{G}(SOC_k, u_k, \boldsymbol{\theta}_k) + v_k$

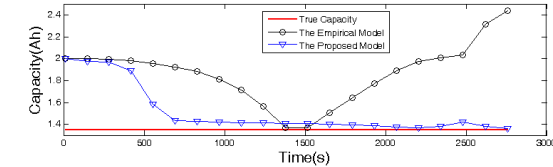
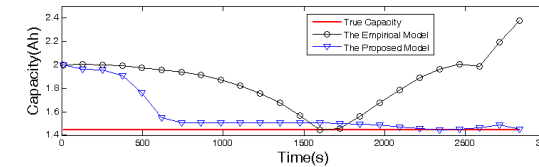
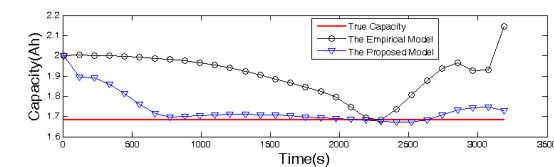
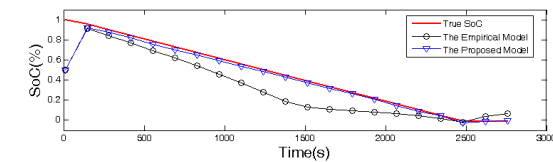
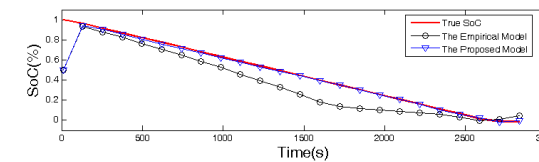
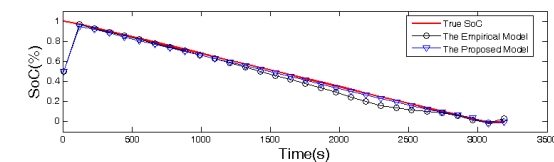
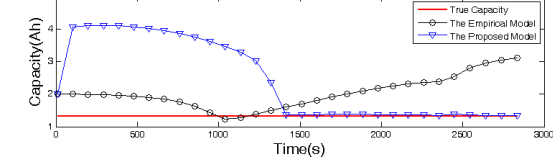
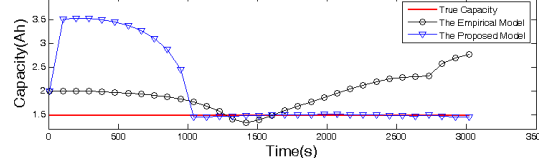
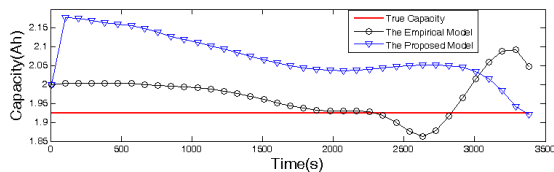
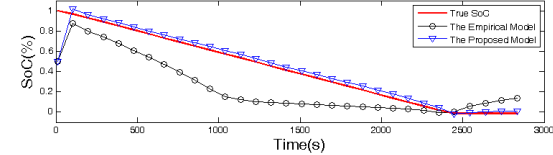
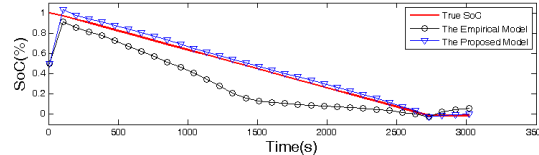
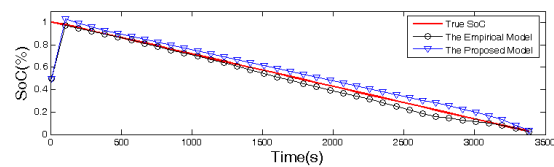
y_k : the terminal voltage
 w_k and r_k : the process noise

v_k : the measurement noise

C_k : the maximum capacity

\mathbf{W}_k : the weights of FFNN

- The short-term SoC and SoH estimation

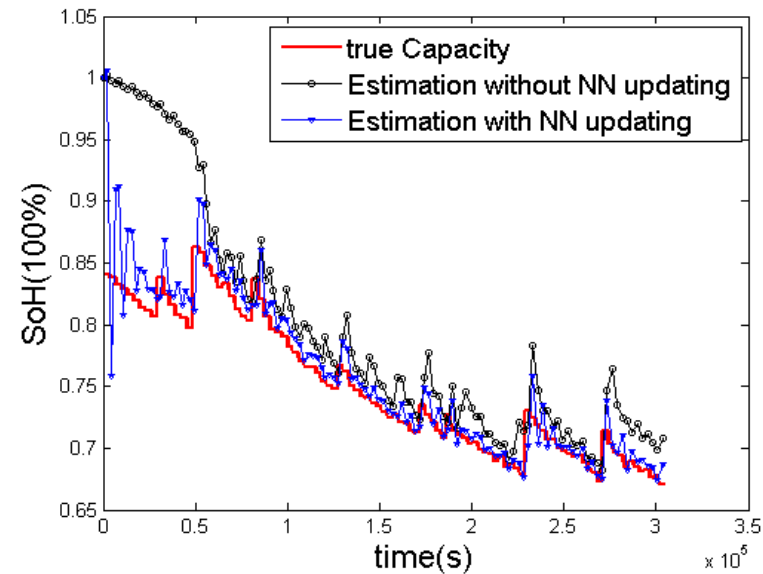
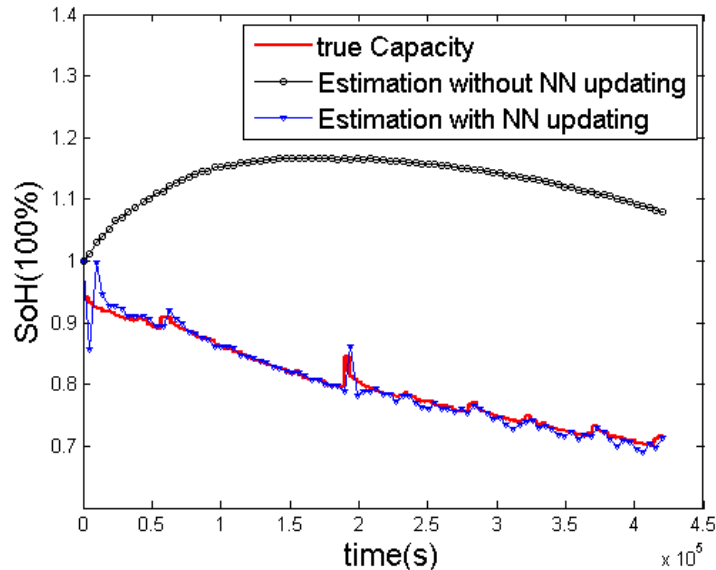


The 1st cycle

The 50th cycle

The 100th cycle

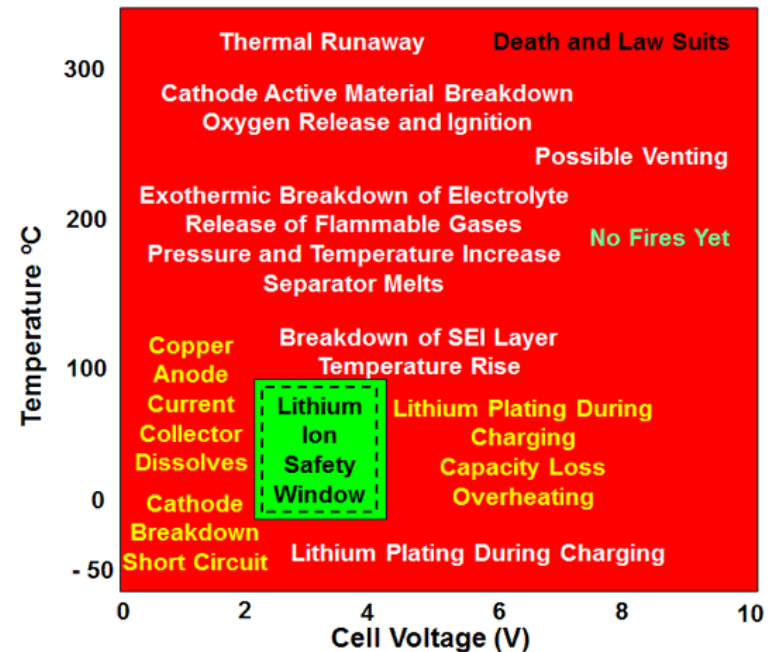
- The long-term SoH estimation



- Observations:
 - ❖ Capacity fade with hundreds of cycles
 - ❖ Ability to **track the true capacity** after initial cycles
 - ❖ **Quick convergence** from wrong initial guesses

Battery Failure diagnostics:
identify characteristics of
system failure by monitoring
and estimating system states,
and diagnose various failure
modes

Lithium Ion Cell Operating Window



- Challenges:
 - how to locate characteristics of different system failure modes
 - how to model a rapidly varying system when normal system processes are out of control

Li-ion Battery Failure Diagnostics: Li-plating

- Motivation:

- ❖ **Li-plating** is a typical and common failure mechanism that could lead to **capacity fade** due to active material loss, or even **short circuit** due to dendrites formation

- ❖ Li-plating happens under various operating conditions such as charging under low temperature or high current

- Objectives:

- ❖ Investigate Li-plating mechanism based on **electrochemical principles**

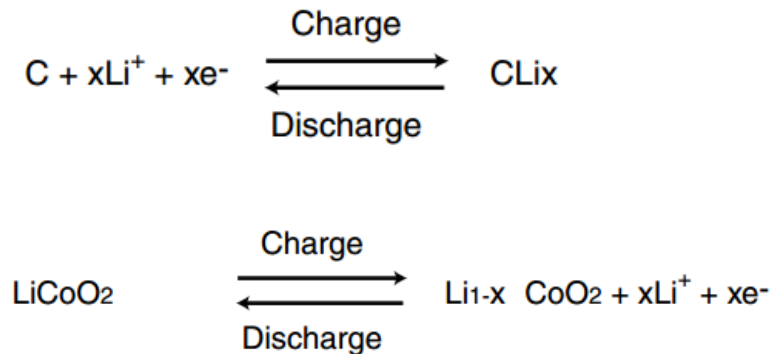
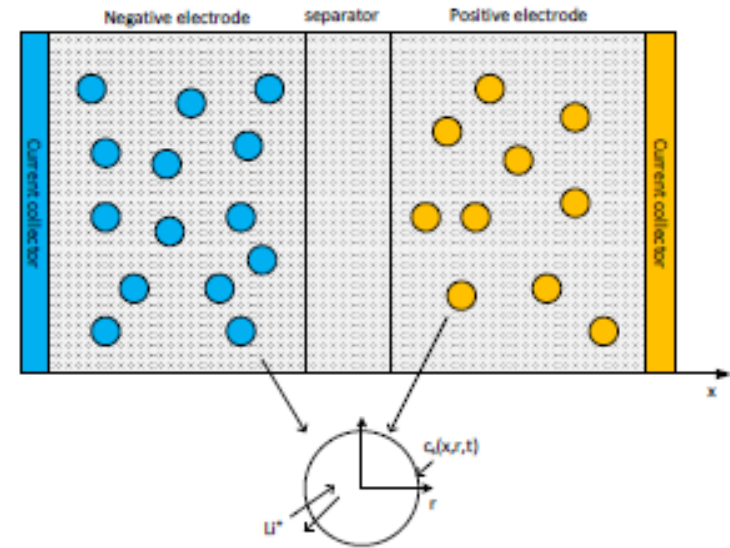
- ❖ Build criterions to **judge Li-plating occurrence**

- ❖ **Predict the onset of Li-plating** with estimation of current battery states

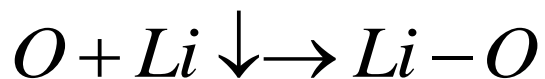
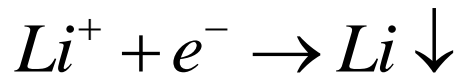
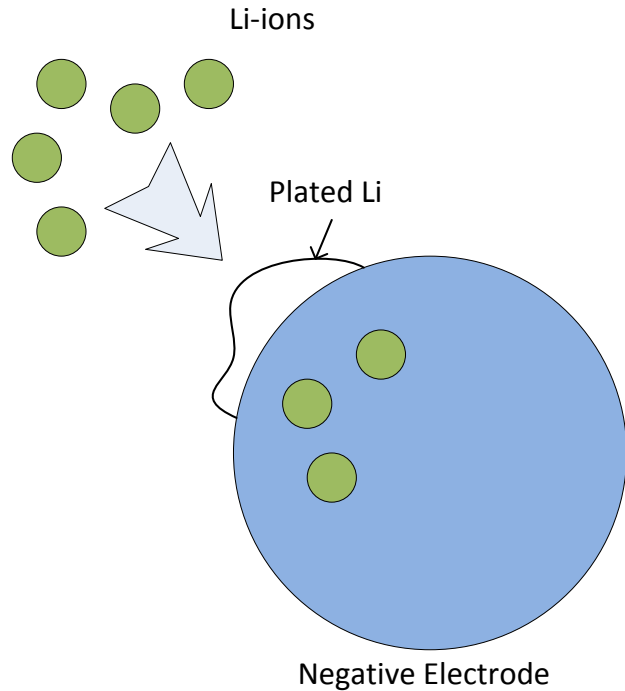


Reviews of the Electrochemical Model

- Li-ion battery physical internal structure:
 - ❖ Three domains: negative electrode, separator, positive electrode
 - ❖ Two phases: solid phase, electrolyte phase
- Electrochemical Model
 - ❖ Based on ohmic porous electrode theory and Butler-Volmer kinetics
 - ❖ A set of partial differential equations (PDEs) is used for modeling



Li-plating Mechanism



Possible side reactions for Li-plating

- The necessary assumptions for creating a Li-plating model
 - ❖ Only side reactions for Li-plating occur
 - ❖ The **concentration gradient (or C-rate)** on the surface of electrodes approximates to the extraction or intercalation rate

$$R_{ex} = \frac{\partial \bar{c}_{s,surf,p}}{\partial t} \quad R_{in} = \frac{\partial \bar{c}_{s,surf,n}}{\partial t}$$

- The criterion of Li-plating occurrence $|R_{ex}| > |R_{in}|$

Important Coefficients Involved in Li-plating

- Diffusion coefficients in solid phase:^[1]

$$D_{s,n} = 1.0 \times 10^{-14} \text{ m}^2/\text{s}$$

range from $(10^{-10} - 10^{-15})$

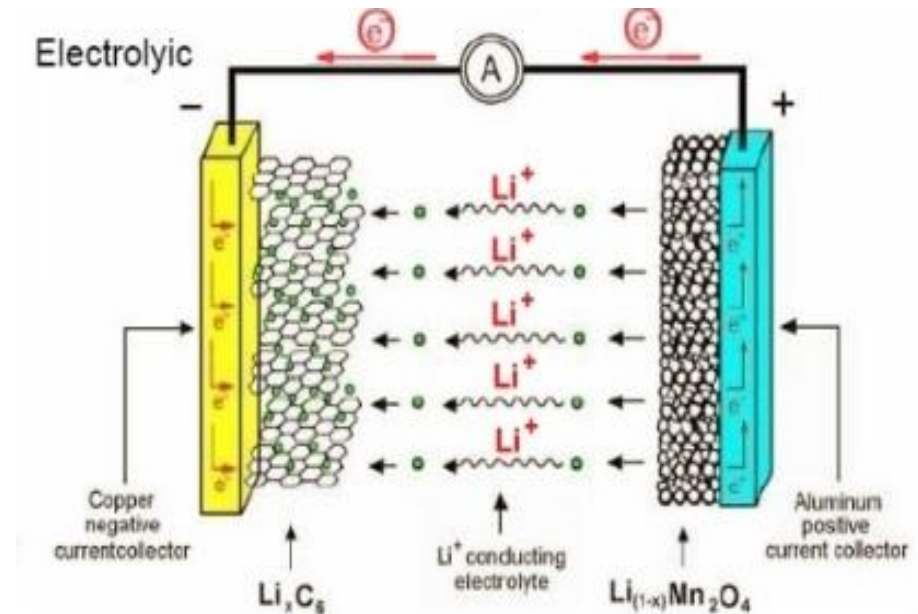
$$D_{s,p} = 3.9 \times 10^{-14} \text{ m}^2/\text{s}$$

range from $(10^{-12} - 10^{-15})$

- Intercalation/extraction reaction rate: ^[2]

$$k_n = 5.0307 \times 10^{-11}$$

$$\text{mol}/(\text{L} \cdot \text{s}) / (\text{mol}/\text{L})^{1.5}$$



[1] M., Park, et. al., “A review of conduction phenomena in Li-ion batteries

[2] V. R., Subramanian, et. al., “Mathematical model reformulation for Lithium-ion battery simulations: Galvanostatic boundary conditions

Internal State Variable (ISV) Mapping Approach

- Problem Statement:

$$\mathcal{F}\left(x, t, \frac{\partial \mathbf{u}}{\partial x}, \frac{\partial \mathbf{u}}{\partial t}, \boldsymbol{\theta}\right) = 0 \quad \xrightarrow{\text{estimate}} \quad \boldsymbol{\theta}$$

- Rationale:

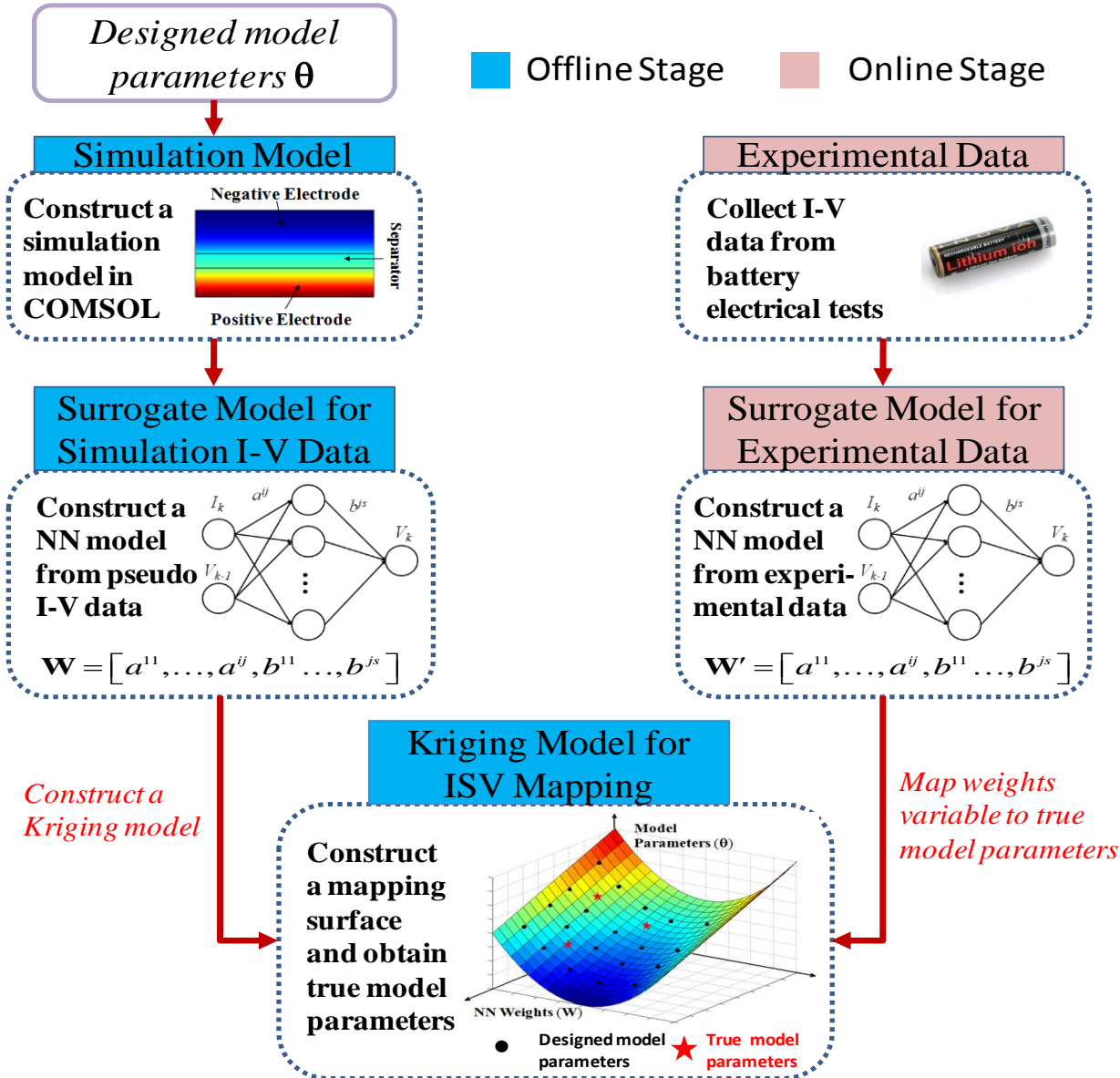
$$\text{output} : V(t) = \Phi_{s,x=L}(t) - \Phi_{s,x=0}(t)$$

$$\longrightarrow L\Phi(x, t) = f(x, t, I(t), \boldsymbol{\theta}) \rightarrow \frac{d\Phi_{x=L}(t)}{dt} = f(t, I(t), \boldsymbol{\theta})$$

$$\longrightarrow \Phi_{x=L,k} - \Phi_{x=L,k-1} = \Delta t \times f(I_k, \boldsymbol{\theta})$$

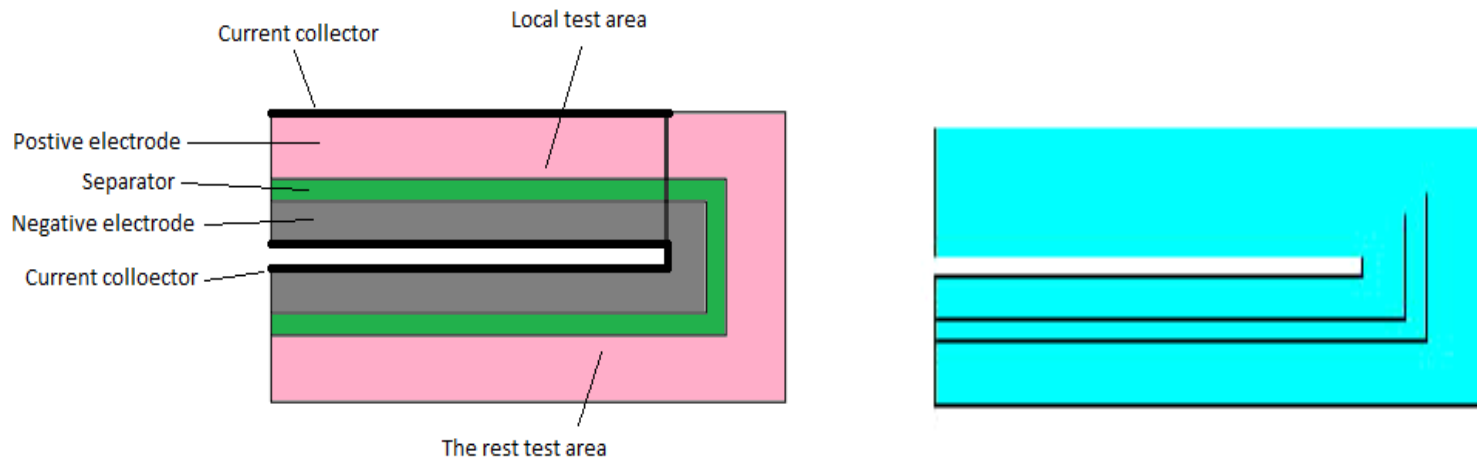
$$\longrightarrow V_k = G(I_k, V_{k-1}, \boldsymbol{\theta})$$

ISV Mapping Approach

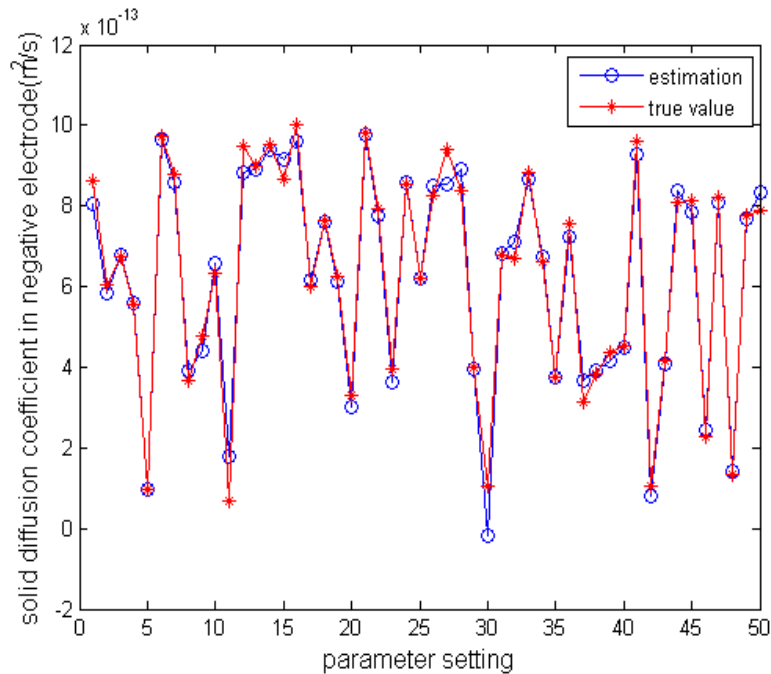


Battery Multi-physics Simulation

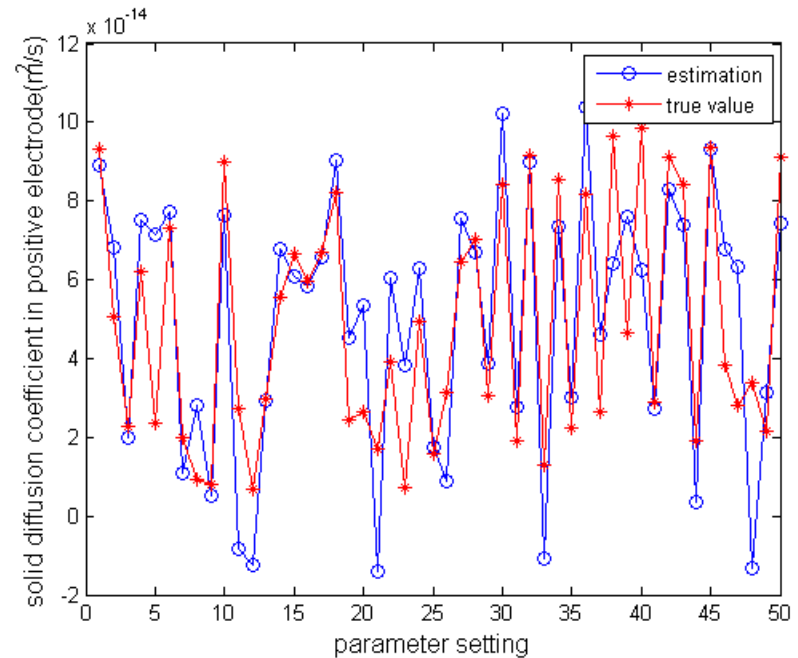
- The geometry of Li-ion battery 2D mode:



- To observe the Li-plating phenomenon at the specific area, the testing model is divided into the local test area and the rest area
- A set of V-I data under different parameters is generated as a training pool; another set of V-I data under random parameters is also generated to be online experimental data



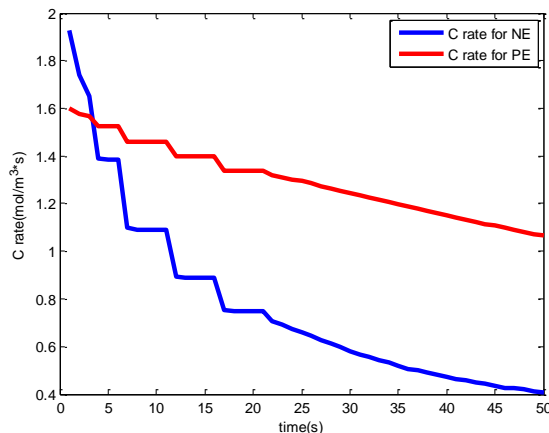
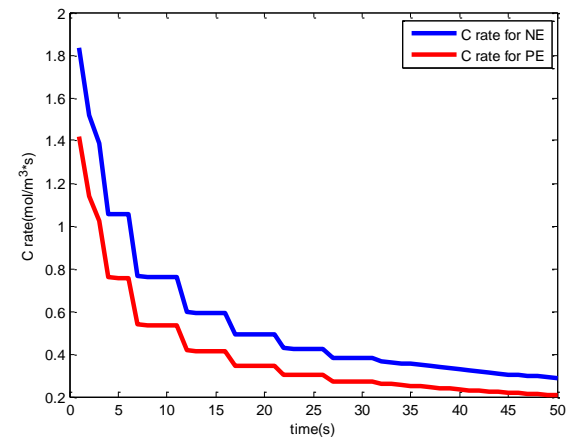
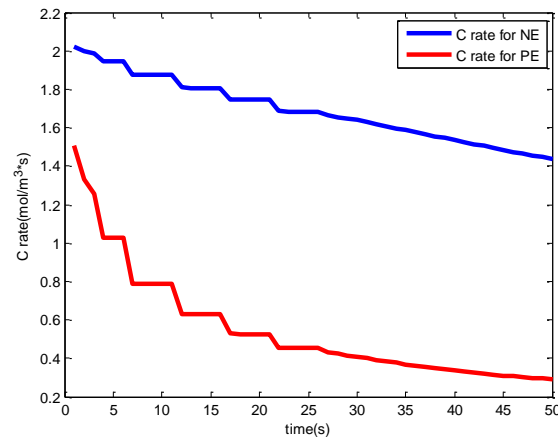
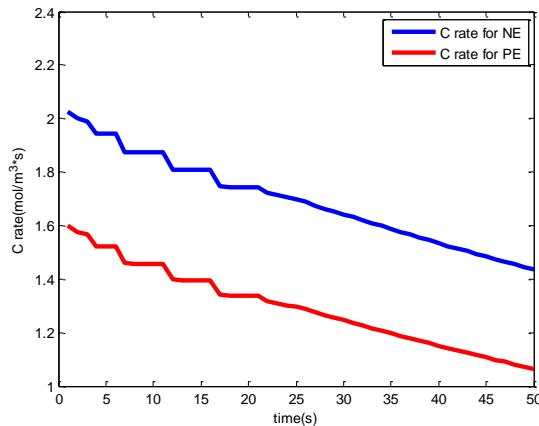
Estimation of diffusion coefficient in negative electrode



Estimation of diffusion coefficient in positive electrode

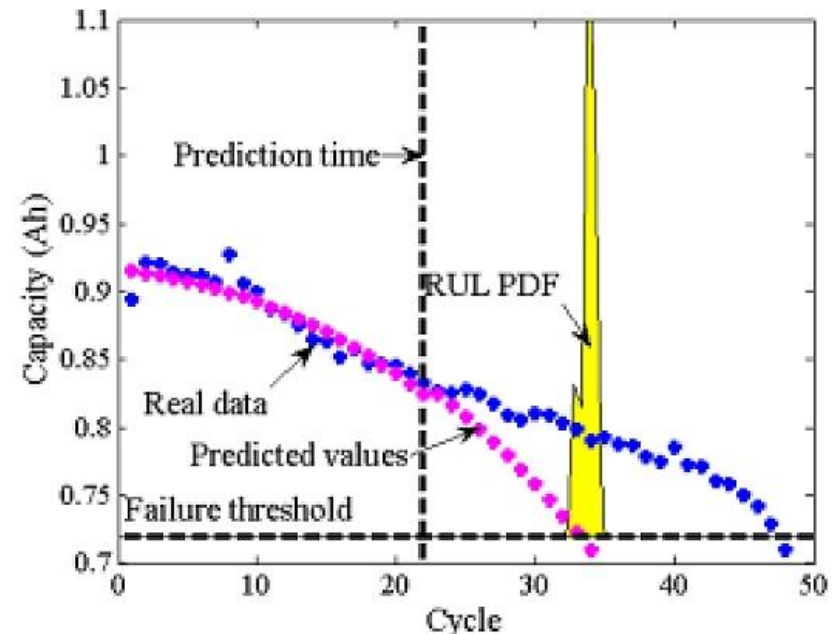
Li-plating Onset Diagnosis

- Getting estimation of D_n and D_p , we use different pairs of estimation to predict the concentration rate performance



- C-rate for positive electrode **doesn't exceed** C-rate for negative electrode in the whole charge process
- C-rate for positive electrode **exceeds** C-rate for negative electrode in the whole charge process
- Li-plating occurrence at $t = 4s$

Battery prognostics: capture the system degradation trend based on the current and previous health conditions of the system, and predict its future health condition and remaining useful life (RUL)



* Figure Courtesy of NASA Ames: Prognostics Center of Excellence (PCoE)

- Challenges:
 - system degradation model is generally difficult to test and analyze
 - changes of operational and environmental parameters could significantly impact system degradation model



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THANK YOU